

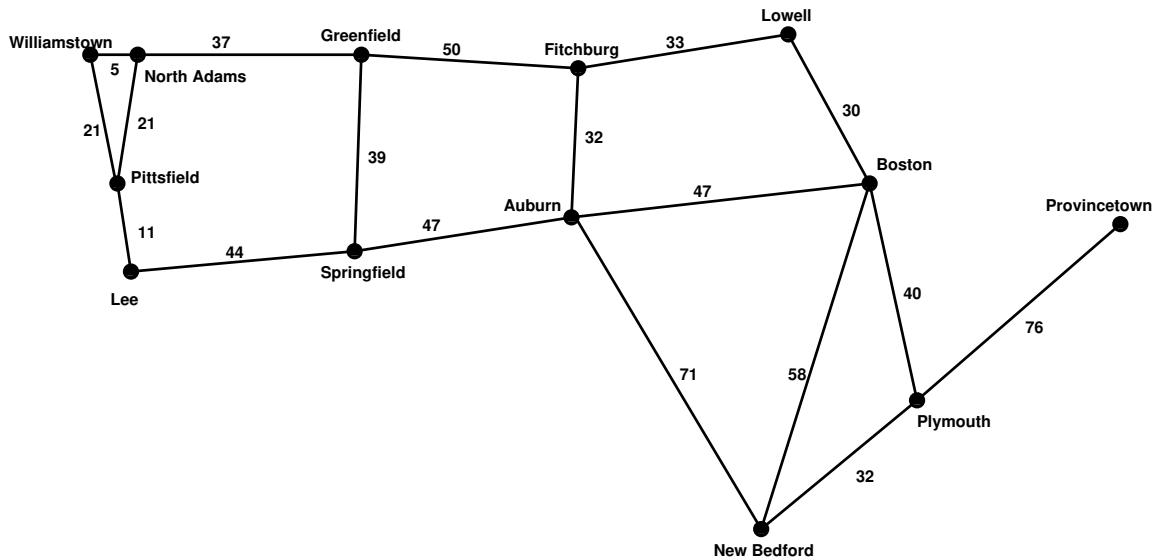
## Topic Notes: Dijkstra's Algorithm Example

Pseudocode:

```

ALGORITHM DIJKSTRA( $G, s$ )
    //Input:  $G = (V, E)$  a graph with weighted edges
    //Input:  $s \in V$ , the starting vertex
     $T \leftarrow$  an empty map
     $PQ \leftarrow$  an empty priority queue
    // mark all vertices in  $V$  as unvisited
    for all  $v \in V$  do
         $v.visited \leftarrow \text{false}$ 
    //  $s$  is found at distance 0
     $T.add(s, (0, \text{null}))$ 
     $s.visited \leftarrow \text{true}$ 
    // add each edge from  $s$  to  $PQ$ 
    for all  $(s, v) \in E$  do
         $PQ.add((s, v), (s, v).cost)$ 
    // main loop
    while  $T.size < G.size$  and not  $PQ.empty$  do
        // remove edges from PQ until empty or we find one connecting
        // a visited vertex to an unvisited vertex
        repeat
             $(u, v) \leftarrow PQ.remove$ 
        until  $u.visited \neq v.visited$  or  $PQ.empty$ 
        // WLOG, assume  $u$  is visited (i.e., is in  $T$ ) and  $v$  is
        // unvisited (not in  $T$ ), meaning we found a way to  $v$ 
         $vcost \leftarrow T.get(v).cost + (u, v).cost$ 
         $T.add(v, (vcost, (u, v)))$ 
         $v.visited \leftarrow \text{true}$ 
        // for each  $w$ , a vertex adjacent to  $v$ 
        for all  $(v, w) \in E$  do
            if  $w.visited = \text{false}$  then
                 $PQ.add((v, w), vcost + (v, w).cost)$ 
return  $T$ 
```

Graph to work with:



Result “tree”/table/map:

## Priority queue: